

**IN THE CLAIMS:**

Please cancel claim1 as presented in the underlying International Application No. PCT/EP00/06510 and cancel revised claims 1-2 annexed to the International Preliminary Examination Report, and add new claims 3-6 as follows:

--3. (new) A method for establishing a common key for a group of at least three subscribers, the method comprising:

generating by each subscriber  $T_i$  of the at least three subscribers a respective message  $N_i = (g^z \bmod p)$  from a publicly known element  $g$  of large order of a publicly known mathematical group  $G$  and a respective random number  $z_i$  and sending the respective message from the respective subscriber to all other subscribers  $T_j$  of the at least three subscribers, each respective random number  $z_i$  being selected or generated by the respective subscriber  $T_i$ ;

generating by each subscriber  $T_i$  a transmission key  $k^i$  from the messages  $N_j$  received from the other subscribers  $T_j, j \neq i$ , and the respective random number  $z_i$  according to  $k^i := N_j^{z_i} = (g^z)^{z_i}$ ;

sending by each subscriber  $T_i$  the respective random number  $z_i$  in encrypted form to all other subscribers  $T_j$  by generating the message  $M_{ij}$  according to  $M_{ij} := E(k^j, z_i)$ ,  $E(k^j, z_i)$  being a symmetrical encryption algorithm in which the data record  $z_i$  is encrypted with the transmission key  $k^j$ ; and

determining a common key  $k$  by each subscriber  $T_i$  using the respective random number  $z_i$  and the random numbers  $z_j, j \neq i$ , received from the other subscribers according to

$$k := f(z_1, \dots, z_n),$$

$f$  being a symmetrical function which is invariant under a permutation of its arguments.

4. (new) The method as recited in claim 3 wherein the transmission key  $k^i$  is known to subscriber  $T_j$  according to  $k^i = k^j$ .

5. (new) A method for establishing a common key for a group of at least three subscribers, the method comprising:

generating by each subscriber a respective message  $N_i = (g^z \bmod p)$  from a publicly

known element  $g$  of large order of a publicly known mathematical group  $G$  and a respective random number  $z_i$  and sending the respective message by each subscriber except a predetermined first subscriber  $T_1$  of the at least three subscribers to the first subscriber  $T_1$ , each respective random number  $z_i$  being selected or generated by the respective subscriber  $T_i$ ;

encrypting by the first subscriber  $T_1$  the received messages  $N_j$  of the other subscribers  $T_j$ ,  $j \neq 1$ , with the random number  $z_1$  to form a respective transmission key  $k^{ij}$  for each subscriber  $T_j$ ;

sending by the first subscriber  $T_1$  the random number  $z_1$  to all other subscribers  $T_j$  in encrypted form by generating a message  $M_{1j}$  according to  $M_{1j} := E(k^{ij}, z_1)$ ,  $E(k^{ij}, z_1)$  being a symmetrical encryption algorithm in which the random number  $z_1$  is encrypted with the transmission key  $k^{ij}$ ; and

determining a common key  $k$  by each subscriber  $T_i$  using the values  $N_i$  and  $N_j$ ,  $j \neq i$ , and the random number  $z_1$  sent by the first subscriber  $T_1$  in encrypted form using

$$k := h(z_1, g^{z_2}, \dots, g^{z_m}),$$

$h(x_1, x_2, \dots, x_n)$  being a function which is symmetrical in the arguments  $x_2, \dots, x_n$ .

6. (new) The method as recited in claim 5 wherein the key is known to subscriber  $T_j$  according to  $k^{ij} = k^{j1}$ .

#### **IN THE ABSTRACT:**

Please replace the abstract of record with the new abstract submitted herewith as a separate sheet.

#### **REMARKS**

New Fig. 1 is submitted herewith for the Examiner's consideration. The application has been amended to place the application in proper format and correct errors. It is respectfully submitted that the claims have not been narrowed. It is respectfully submitted that no new matter has been added.